

WP1.4.2 : EMBRACE aquaplanet experiments

- (a) **QOBS** : the CMIP5 AquaControl simulation (SST profile called “QOBS” in the APE project)
- (b) **CtlAPE** : a simulation with a “sharper” SST profile (called “control” in the APE project)
- (c) **Flat** : a simulation with a flattop SST profile (called “flat” in the APE project)
- (d) **QOBSWP2** : a simulation with the AquaControl (“QOBS”) SST profile with an additional +2 degC anomaly (warm pool) on the equator.

→ The SST profiles for (a), (b), (c) are defined the same way as in Blackburn & Hoskins, 2013 (J. Meteor. Soc. Japan, doi :10.2151/jmsj.2013-A01). See slide 2.

→ The SST profile with an additional warm pool on the equator (d) is defined in slide 3.

APE Sea Surface Temperatures

1. CONTROL:

$$T_{S1}(\lambda, \phi) = \begin{cases} 27\left(1 - \sin^2\left(\frac{3\phi}{2}\right)\right)^\circ C & ; -\frac{\pi}{3} < \phi < \frac{\pi}{3} \\ 0^\circ C & ; \text{otherwise} \end{cases}$$

2. PEAKED:

$$T_{S2}(\lambda, \phi) = \begin{cases} 27\left(1 - \frac{3|\phi|}{\pi}\right)^\circ C & ; -\frac{\pi}{3} < \phi < \frac{\pi}{3} \\ 0^\circ C & ; \text{otherwise} \end{cases}$$

3. FLAT:

$$T_{S3}(\lambda, \phi) = \begin{cases} 27\left(1 - \sin^4\left(\frac{3\phi}{2}\right)\right)^\circ C & ; -\frac{\pi}{3} < \phi < \frac{\pi}{3} \\ 0^\circ C & ; \text{otherwise} \end{cases}$$

4. QOBS:

$$T_{S4}(\lambda, \phi) = (T_{S1} + T_{S3})/2$$

Exp (d) : +2° warmpool on top of the QOBS profile

The warm Pool anomaly is added on top of the “QOBS” profile (defined as in the APE project).
lat and *lon* are the latitude and longitude in degrees.

The warm pool (WP) is centered on the equator, at longitude $rclon = 110^\circ$.

$WP_{amp} = +2^\circ C$ is the max amplitude of the WP anomaly at the centre,

$WPlat = 30^\circ$ is the half length of the WP in latitude,

$WPlon = 50^\circ$ the half length of the WP in longitude.

If $lat \in [-WPlat, +WPlat]$ and $lon \in [rclon - WPlon, rclon + WPlon]$, the sst profile is defined as :

$$SST_{wp} = SST_{qobs} + WP_{amp} \times \cos^2 \left(\frac{\pi}{2} \frac{lat}{WPlat} \right) \times \cos^2 \left(\frac{\pi}{2} \frac{lon - rclon}{WPlon} \right) \quad (1)$$

Otherwise :

$$SST_{wp} = SST_{qobs} \quad (2)$$